

# LIMITS ON NEUTRAL LIGHT SCALAR AND PSEUDOSCALAR PARTICLES IN A PROTON BEAM DUMP EXPERIMENT

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# INTRODUCTION

GOAL: SEARCH FOR ISOLATED ELECTROMAGNETIC SHOWERS

$$A^0, H^0 \rightarrow \begin{cases} e^+e^- \\ \gamma\gamma \end{cases}$$

FROM THE DECAY OF LIGHT (PSEUDO) SCALARS.

- HIGGS - MASS WINDOW  $10 \leq M_H \leq 200 \text{ GeV}$  (SM)  
MSSM, AXION-LIKE PARTICLES

BEAM-DUMP EXPERIMENT

$$PA \rightarrow BX$$

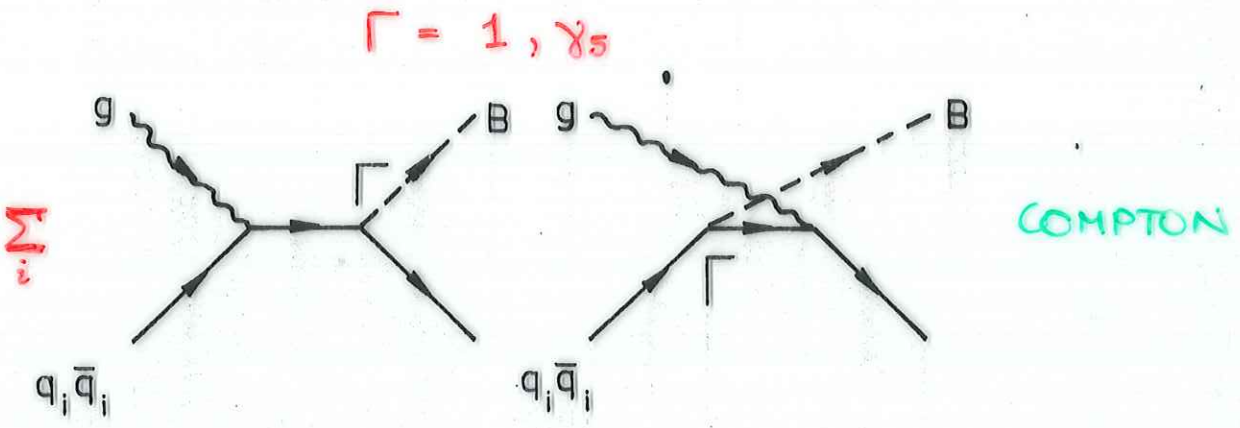
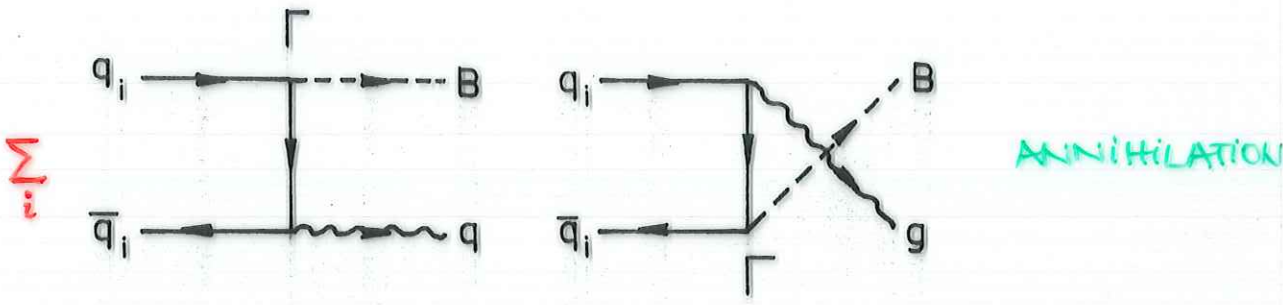
- QCD-BASED  $\sigma_{\text{PROD}}$

→ FURTHER SOURCES:  $\begin{cases} PA \rightarrow H \text{ elastic} \\ K, \pi \rightarrow B \\ \eta, \eta' \rightarrow B \end{cases}$  (H-A-coupling)

(NOT INCLUDED, BECAUSE OF THEOR. UNCERTAINTIES)

- DERIVE MASS & LIFETIME LIMITS.

B - PRODUCTION



$$\frac{d\hat{\sigma}_{ci}}{d\hat{t}} = \frac{1}{6} \frac{\alpha_s(\hat{s})}{4} g_H^2 \lambda^{-1}(\hat{s}, m_i^2, 0) \cdot$$

$$\left\{ -\frac{\hat{u}-m_i^2}{\hat{s}-m_i^2} - \frac{\hat{s}-m_i^2}{\hat{u}-m_i^2} - 2 \right.$$

$$+ a_1 \cdot \left[ \frac{1}{\hat{s}-m_i^2} + \frac{1}{\hat{u}-m_i^2} \right] + a_2 \frac{1}{(\hat{s}-m_i^2)(\hat{u}-m_i^2)}$$

$$\left. + a_3 \left[ \frac{1}{(\hat{s}-m_i^2)^2} + \frac{1}{(\hat{u}-m_i^2)^2} \right] \right\}$$

$$\frac{d\hat{\sigma}_{\lambda i}}{d\hat{t}} = -\frac{4}{9} \cdot 6 \left[ \frac{\lambda(\hat{s}, m_i^2, 0)}{\lambda(\hat{s}, m_i^2, m_i^2)} \frac{d\hat{\sigma}_{ci}}{d\hat{t}} \right] (\hat{t} \leftrightarrow \hat{s}) \alpha_s(\hat{s})$$

$$a_i = a_i \left( \frac{\hat{s}}{p}, m_B^2, m_i^2 \right)$$

$$\frac{d\sigma}{dx_1 dx_2 d\hat{t}} = \sum_i \left\{ [f_{i1} \bar{f}_{i2} + f_{i2} \bar{f}_{i1}] \frac{d\sigma_{Ai}}{d\hat{t}} + [G_1 (f_{i2} + \bar{f}_{i2}) + G_2 (f_{i1} + \bar{f}_{i1})] \frac{d\sigma_{ci}}{d\hat{t}} \right\}$$

$$f_{ij}, G_i = f_{ij}(x, \hat{S}), G_i(x, \hat{S})$$

$$\frac{d}{d\hat{t}} \sigma_{A,ci} = \frac{d}{d\hat{t}} \sigma_{A,ci}(\hat{S}, \hat{t})$$

$$\hat{S} = x_1 x_2 (S - 2M_N^2) + m_1^2 + m_2^2$$

↑  
initial partons.

$f_i, G$  - DO 1 (similar for EHLQ1)

$$m_u = 4.2 \text{ MeV}$$

$$m_d = 7.5 \text{ MeV}$$

$$m_g = 150 \text{ MeV}$$

$$m_c = 1200 \text{ MeV}$$

•  $\alpha_s^1$  - CALCULATION

• SET  $\alpha_s(\hat{S}) = \alpha_s(Q_0^2 = 4 \text{ GeV}^2)$  for  $\hat{S} \leq Q_0^2$

(CONSERVATIVE CHOICE ; FOR LOWER  $\hat{S}$  NO TERMS ARE NEEDED.)

• NO ACCOUNT FOR WEE - PARTONS  $\hat{S} \lesssim 1 \text{ GeV}^2$   
(BJORKEN - WEISBERG ENHANCEMENT).

	SCALAR	PSEUDOSCALAR
$a_1$	$+2m_B^2 - 8m_i^2$	$+2m_B^2$
$a_2$	$-2m_B^4 - 16m_i^4 + 12m_B^2 m_i^2$	$-2m_B^4 + 4m_B^2 m_i^2$
$a_3$	$-8m_i^4 + 2m_B^2 m_i^2$	$2m_B^2 m_i^2$

$$\lim_{m_i \rightarrow 0} a_j(P) = \lim_{m_i \rightarrow 0} a_j(S)$$

( $\gamma_S$  CAN BE ROTATED AWAY.)

ANALYTIC  $\hat{t}$ -INTEGRATION:  $\rightarrow \frac{dN}{dE_B^{\text{lab}}}$

$$F_{q_i(g)/P} = F_{q_i(g)/P}(x, \hat{S} = Q^2)$$

$$\alpha_S = \alpha_S(\hat{S})$$

$$\hat{t}_{\min, \max} = \hat{t}_{\min, \max}(E_B^{\text{lab}}, \theta_{\max}^{\text{lab}})$$

$$x_1 x_2 \geq (m_B^2 + 2m_B m_i) / (S - 2m_N^2) \quad \text{COMPTON}$$

$$x_1 x_2 \geq \max \{ 2m_i^2, m_B^2 - 2m_i^2 \} / (S - 2m_N^2) \quad \text{ANNIHILATION}$$

USE:  $\hat{S} + \hat{u} + \hat{t} = 2m_i^2 + m_B^2$

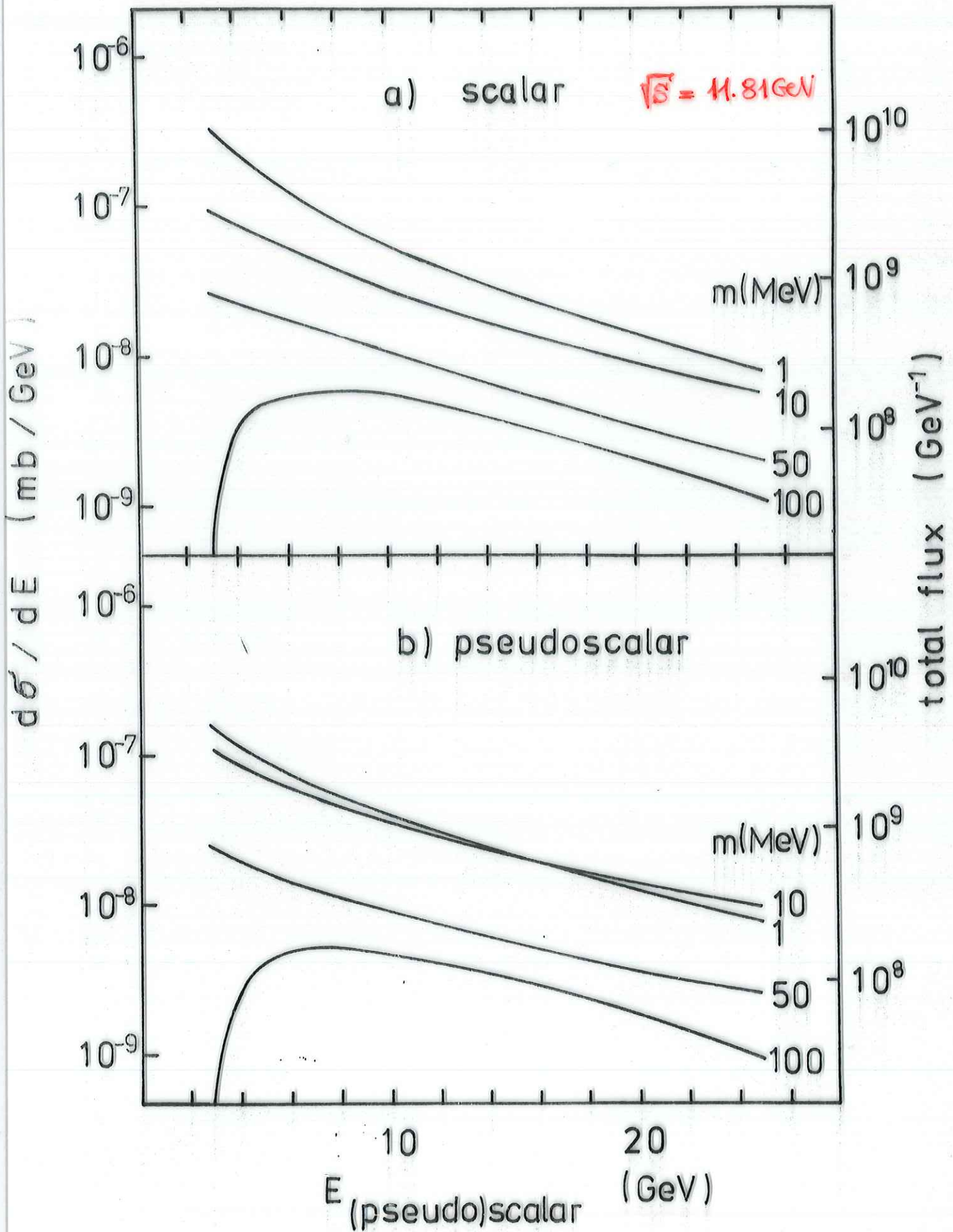
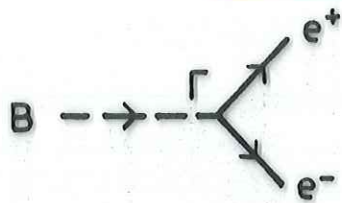
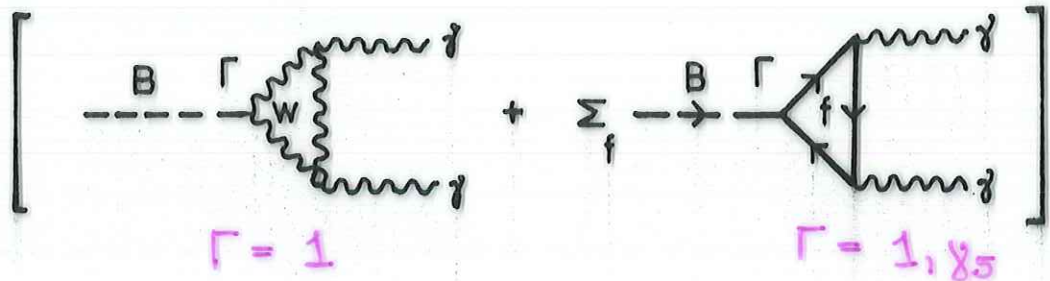


Fig. 4

# B-DECAY



$$\Gamma = 1,85$$



$$\Gamma = 1$$

$$\Gamma = 1,85$$

$$\lambda(H \rightarrow \gamma\gamma) = \frac{64\pi^3}{\alpha^2 \sqrt{2} G_F m_H^3} \left| \frac{1}{2} s_W - \frac{2}{3} \sum_f Q_f^2 C_f I_H \left( \frac{m_f^2}{m_H^2} \right) s_f \right|^{-2}$$

$$\lambda(A \rightarrow \gamma\gamma) = \frac{64\pi^3}{\alpha^2 \sqrt{2} G_F m_A^3} \left| \sum_f Q_f^2 C_f I_A \left( \frac{m_f^2}{m_A^2} \right) p_f \right|^{-2}$$

$$\lambda(H \rightarrow e^+e^-) = \frac{8\pi}{\sqrt{2} G_F m_H m_e^2} \frac{1}{s_e^2} \left[ 1 - 4m_e^2/m_H^2 \right]^{-3/2}$$

$$\lambda(A \rightarrow e^+e^-) = \frac{8\pi}{\sqrt{2} G_F m_A m_e^2} \frac{1}{p_e^2} \left[ 1 - 4m_e^2/m_A^2 \right]^{-1/2}$$

$$I_H(g) = 3 \int_0^1 dx \int_0^{1-x} dy \frac{1-4xy}{1-xy/g}$$

$$I_A(g) = 2 \int_0^1 dx \int_0^{1-x} dy \frac{1}{1-xy/g}$$

$$\lim_{g \rightarrow \infty} I_H(g) = \lim_{g \rightarrow \infty} I_A(g) = 1.$$

DECAY PROBABILITY IN THE DETECTOR:

$$W(E, m_B) = \exp\left[-\frac{zm_B}{\lambda(m_B)E}\right] \left\{ 1 - \exp\left[-\frac{l m_B}{\lambda(m_B)E}\right] \right\}$$

$z$  - DISTANCE OF THE DETECTOR TO THE BEAM DUMP

$l$  - LENGTH OF THE DECAY VOLUME

NUMBER OF EXPECTED EVENTS:

$$\frac{dN(E, m_B)}{dE} = \phi(E, m_B) W(E, m_B) N_p \varepsilon(E)$$

$\phi$  : B-FLUX       $\phi = \frac{1}{\sigma_{tot}(pN)} \cdot \frac{d\sigma}{dE}(pN \rightarrow BX)$

$N_p$  : NUMBER OF PROTONS ON TARGET

$\varepsilon(E)$  : RECONSTRUCTION EFFICIENCY  $\approx 70\%$



## DATA & BACKGROUND

DUMP : 2 TARGETS

70 GeV p ON IRON

p SHIELD : 64 m

DETECTOR : • CH<sub>2</sub> - Liqu \* Al - DC (x, y) - SANDWICH

• MAGNETIC FRAMES

• IRON TOROIDS + DC (x, y) }  $\mu$  - DETECTION

SEARCH FOR: ISOLATED ELECTROMAGNETIC  
SHOWERS ( $e^+e^-$ ,  $\gamma\gamma$ ) AT LOW  
ANGLES.



### BACKGROUNDS:



- MONTE CARLO SIMULATION OF ALL POSSIBLE BACKGROUNDS USING THE CALCULATED  $\bar{\nu}_e, \nu_e, \bar{\nu}_\mu, \nu_\mu$  SPECTRA FOR THE BEAM DUMP. (CONSISTENCY WITH THE  $\mu$ -MONITOR ( $\mu$ -SHIELD)).

### EVENT SELECTION:

- # 3880 reconstructed events (GEOMETRY PROGRAM)
- # 1771 no muon candidate
- # 106 have an electromagnetic shower :  $E_{em} \geq 3 \text{ GeV}$ .  
 $\delta E_{had} = 1.5 \text{ GeV}$
- # 23  $E_{had} \leq 1.5 \text{ GeV}$ .
- # 9  $\theta_{em} < 0.1 \text{ rad}$  DATA. ; EFFICIENCY: 70%

### MC: SELECTION:

- # 10.7 (SAME CUTS) :
  - # 8.3  $\bar{\nu}_e N \rightarrow e^{(\pm)} X$
  - # 0.8  $\bar{\nu}_\mu N \rightarrow \pi^0 \bar{\nu}_\mu X$
  - # 1.5  $\bar{\nu}_\mu N \rightarrow \bar{\nu}_\mu A \pi^0$
  - # 0.1  $\bar{\nu}_e e \rightarrow \bar{\nu}_e e$

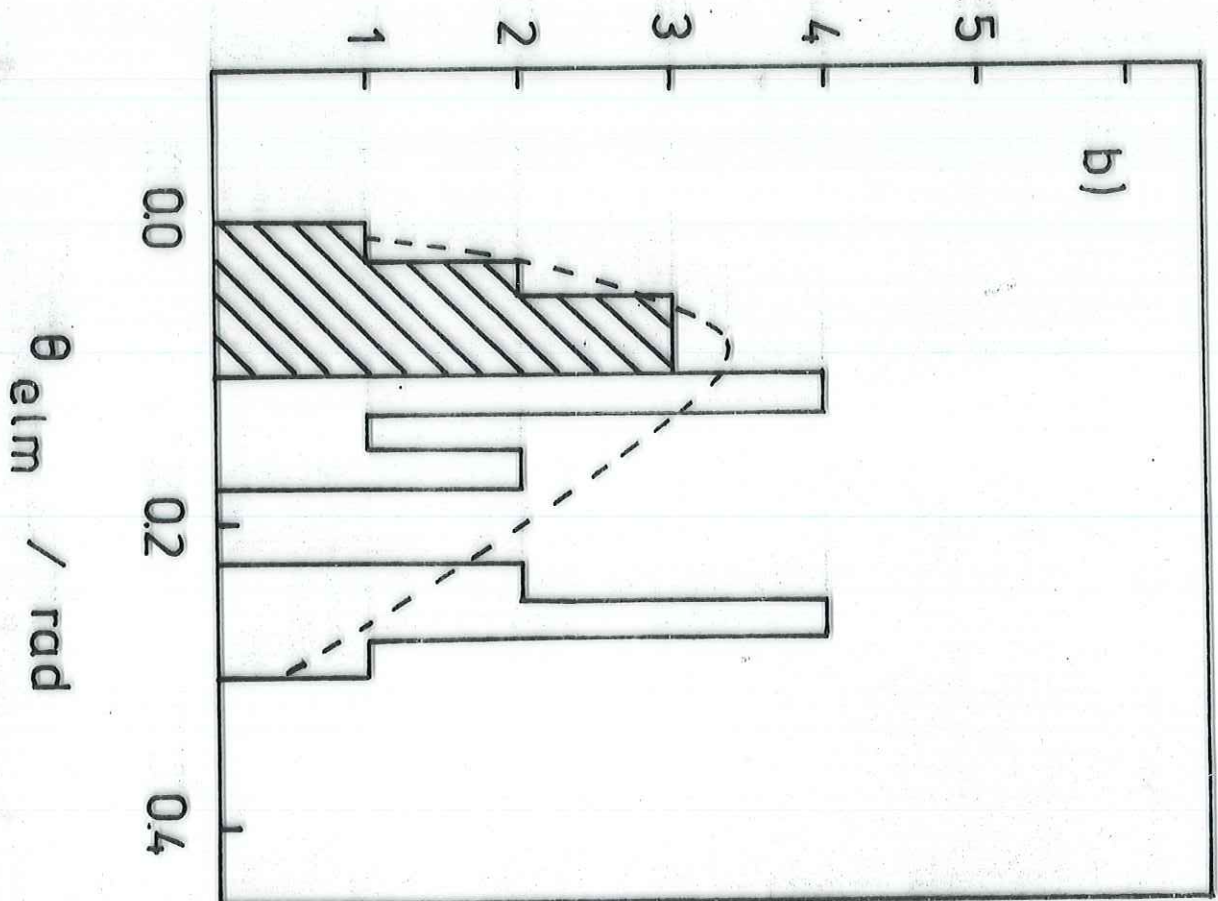
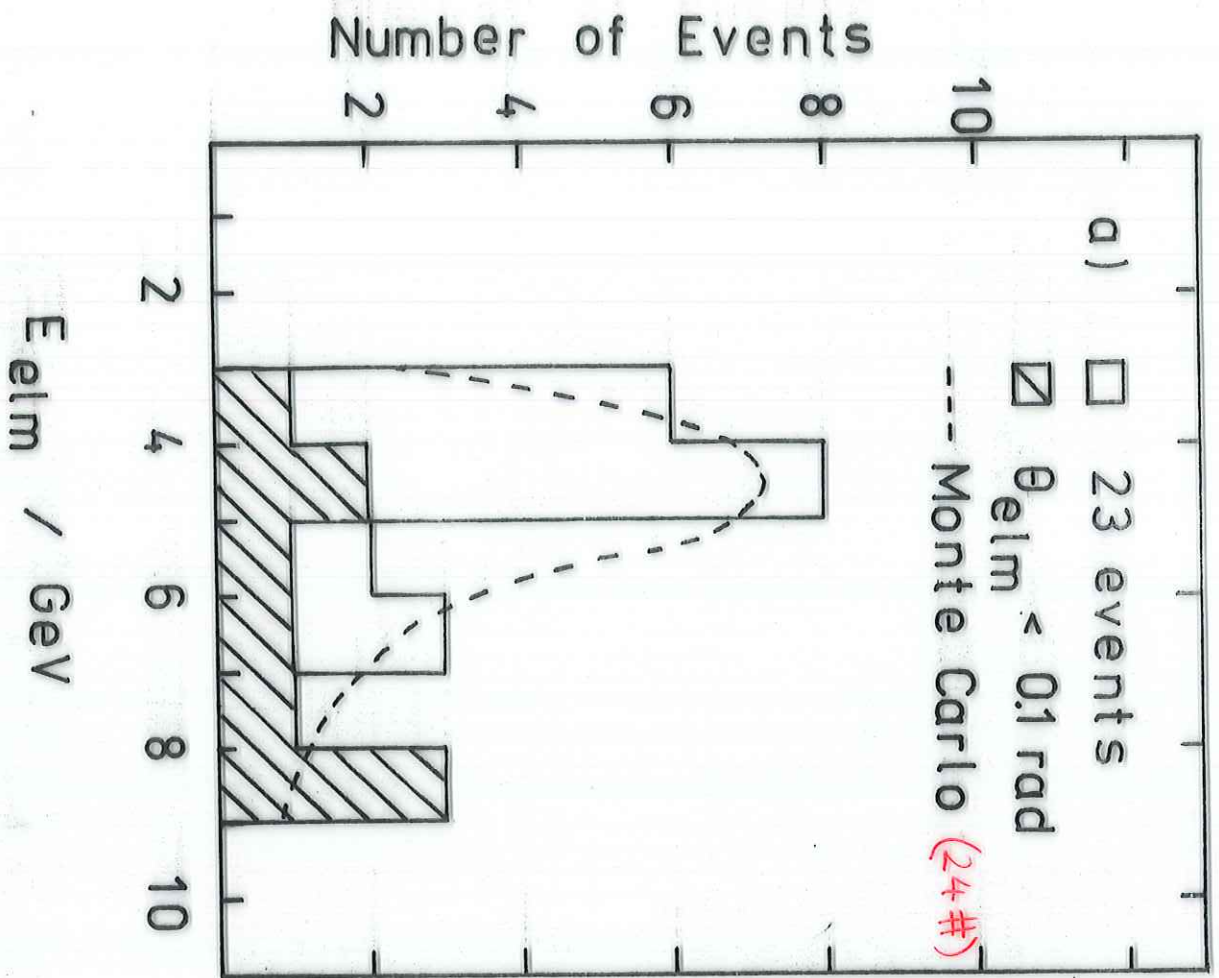


Fig. 3

## EXCLUSION LIMITS

USE:  $\chi^2$ -METHOD : FIT SIGNAL TO DATA - BG.  
95% CL's.

### i) SM-HIGGS:

$$1.1 \leq m_H \leq 126 \text{ MeV}$$

### ii) MSSM-SCALARS, PSEUDOSCALAR:

$m-x$  &  $m-\tau$ -DEPENDENCE

FIGS

$$m_{sc} < 150 \text{ MeV at } \tau_{sc} = 10^{-10} \text{ sec}$$

$$m_{ps} < 100 \text{ MeV at } \tau_{sc} = 2 \cdot 10^{-11} \text{ sec}$$

### iii) PELCEI-QUINNU AXIONS:

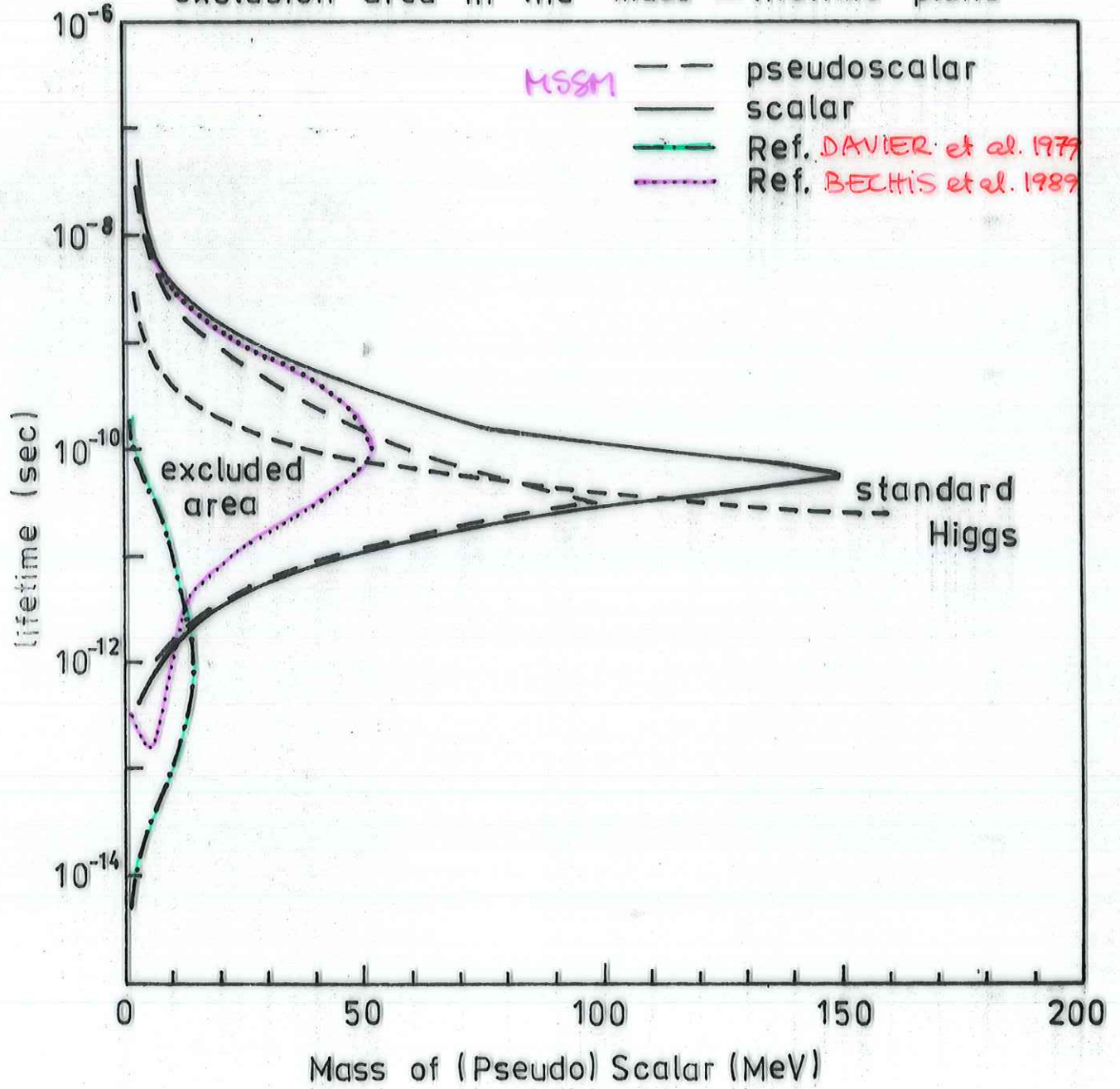
$$x > 1 \quad 0.3 < m_A < 18 \text{ MeV}$$

$$x < 1 \quad 0.3 < m_A < 3.2 \text{ MeV}$$

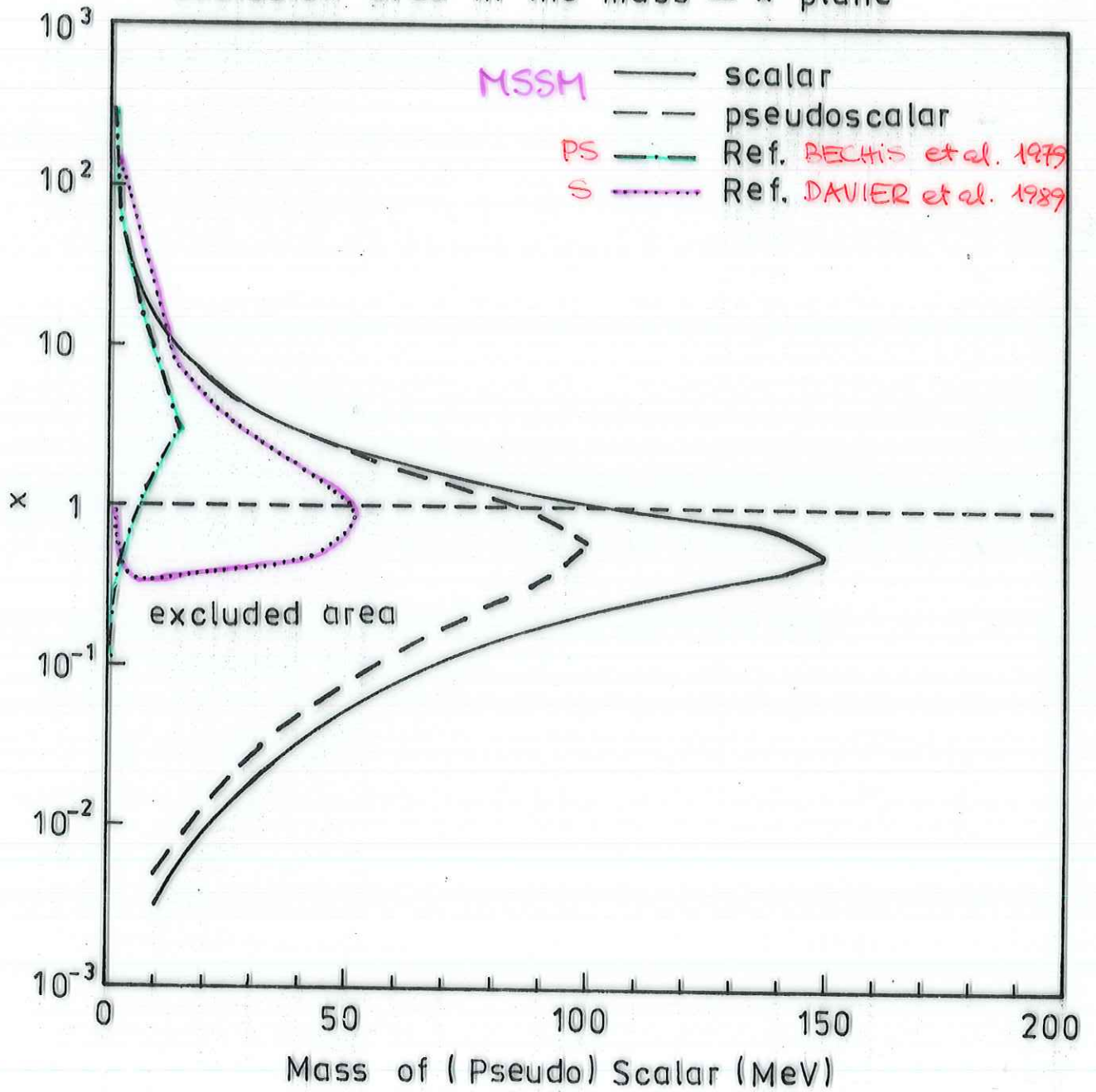
$$\curvearrowright \quad 4 < x < 240$$

$$0.023 < x < 0.25$$

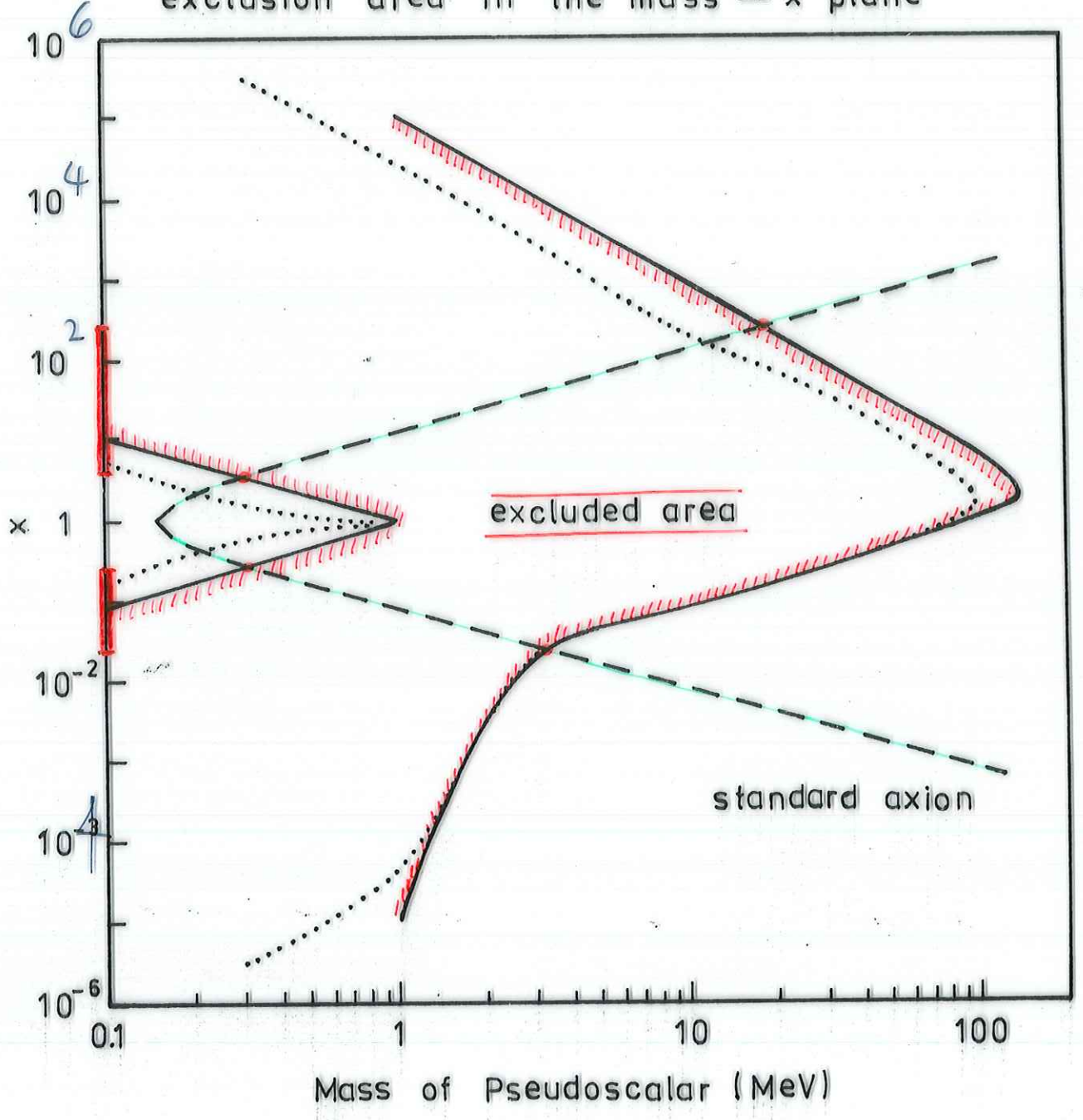
exclusion area in the mass — lifetime plane



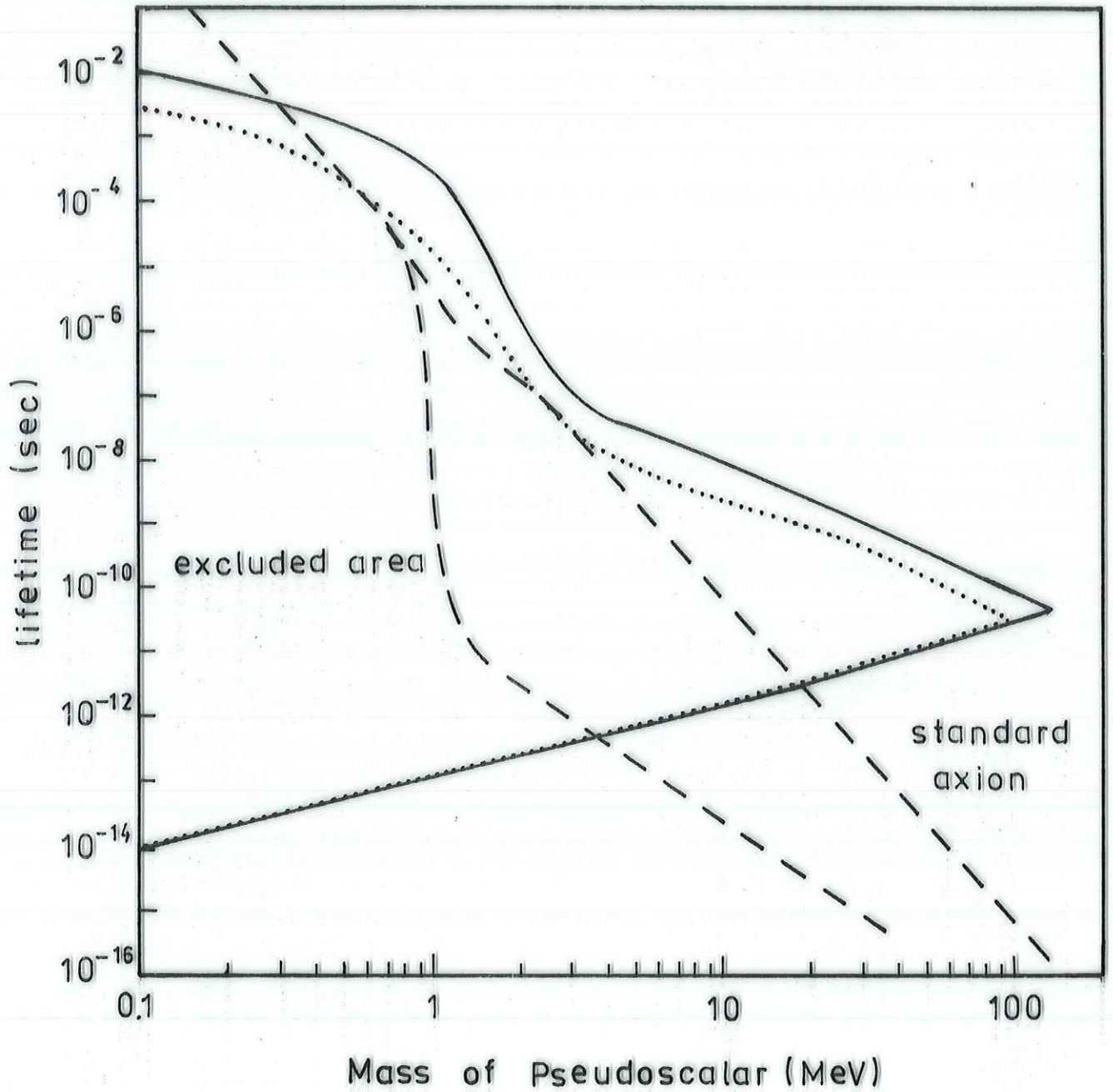
exclusion area in the mass — x plane



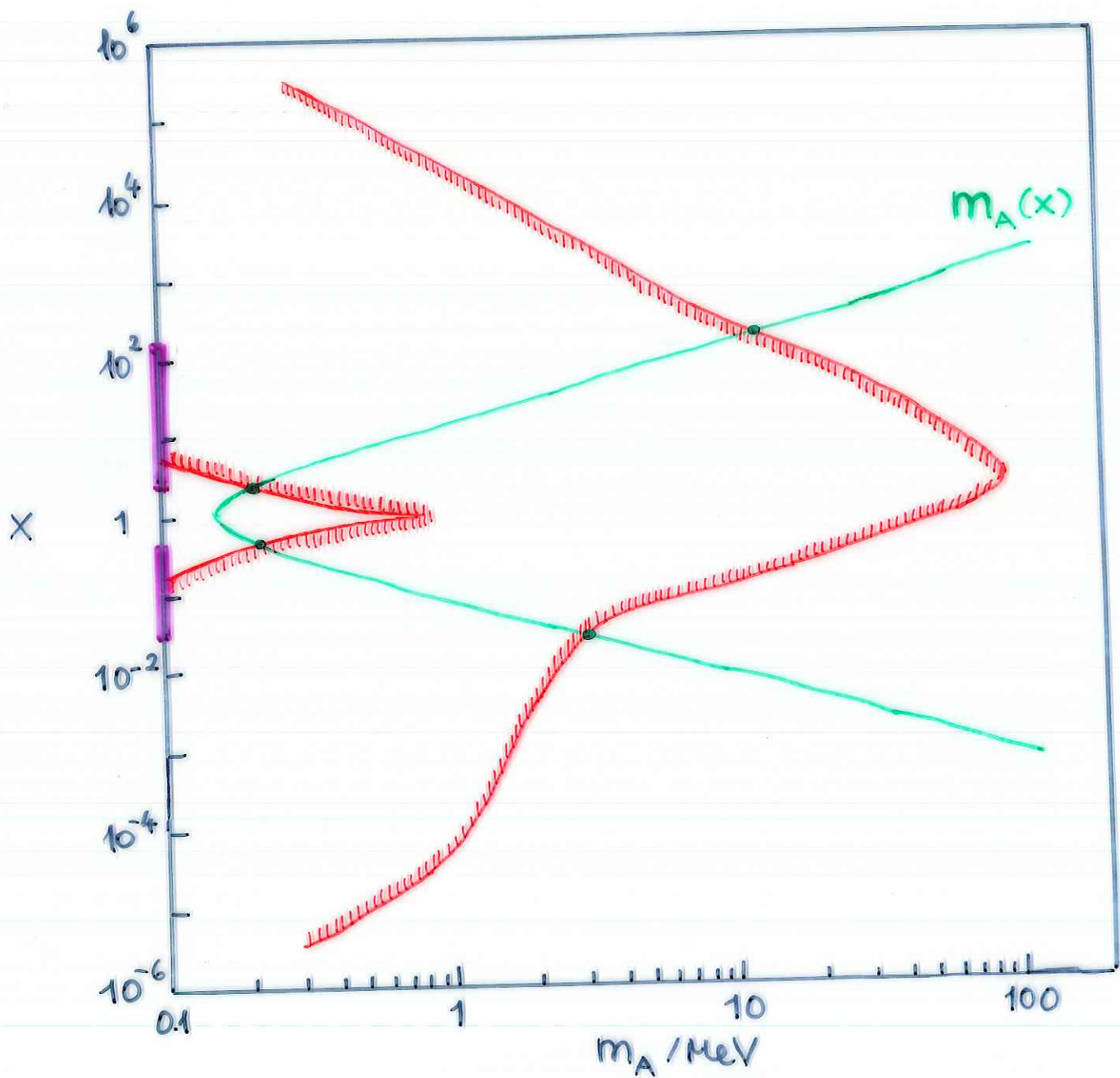
exclusion area in the mass — x plane



exclusion area in the mass — lifetime plane







## DISCUSSION

- COMPARISON WITH RESULTS FROM OTHER EXPERIMENTS:

→ SENSITIVE TO CONTRIBUTE TO CLOSE THE FORMER HIGGS WINDOW

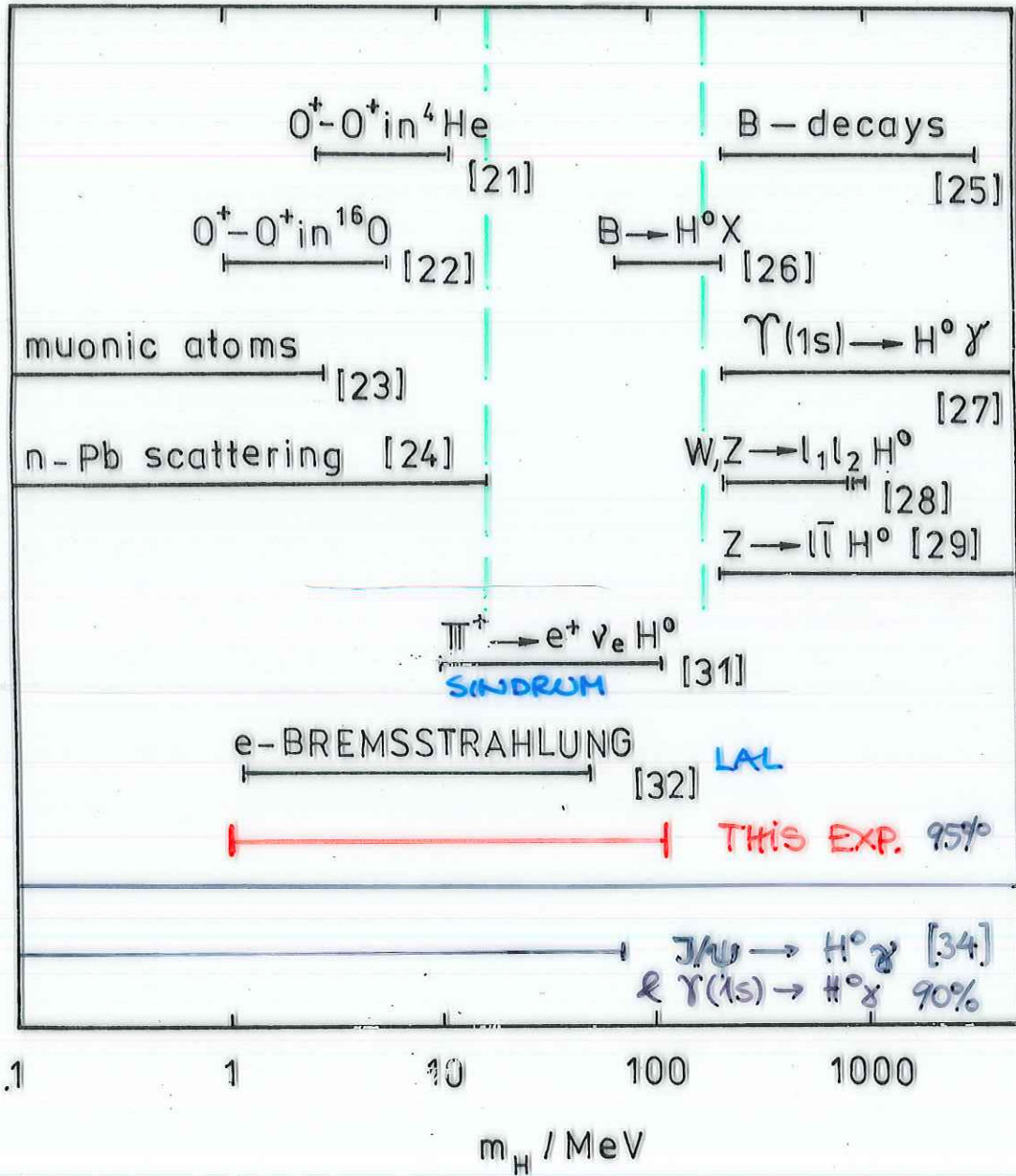
OTHER EXPERIMENTS: SINDRUM  
LAL  
CRYSTAL BALL  
ALEPH, OPAL

fig.

→ MSSM: EXTENSION OF THE RESULTS BY DAVIER et al. (LAL)  
→ ALEPH GAVE A STILL MORE COMPLETE EXCLUSION.

→ AXION: EXTENSION OF THE EXCLUDED RANGE BY BECHIS ET AL.

FORMER  
LIGHT  $H^0$   
WINDOW



ALEPH

CRYSTAL  
BALL